



## Algorithm for Computer Chess

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**Abstract:** *This paper provides a foundation upon which to build a chess program. The game of chess models the universe, so AT Math applies.*

**Keywords:** *Programming Chess; Chess Algorithm; Game of Life Physics; AT Math.*

### 1. INTRODUCTION

Chess was invented in either India or China. I suppose that is hotly debated. Whomever invented chess, knew a lot more about mathematical physics than we thought. I am a novice player myself, or at least I used to be. I owned a computer chess game that neither myself nor any of my friends could beat on level 1. There were 16 levels! In this paper, I provide a chess algorithm based on AT Math and what we know of the Game of Life Physics. The chess board is a model of the universe. So let's begin the programming of a chess computer.

Good Move=1/Bad Move

Good Move= $\sin \theta$  from  $0 -\pi$

Neutral Move=Good =1/Bad

$\sin \theta=1/\sin \theta$

$\sin^2\theta=1$

$\sin\theta=\pm 1$

Good move= $\sin \theta=1$

$\theta=\pi/2$

Bad move= $\sin\theta=-1$

$\theta=3\pi/2$

Neutral move =  $\sin \theta=0$

$\theta=\pi$

$3\pi/2 \leq \pi \leq \pi/2$

The first 14 moves (2 x7) of a chess match are usually neutral moves.  $SE'=2t-1=0$

$2t-1=0$

$2(14)-1=27=c^3$

The Mind  $L=\ln t +c^3$

$=M+2t-1$  where  $t=14$

$L=\ln t +2(14)-1$

$-25=\ln t$

$$25 = -\ln t$$

$$t = 0.7200$$

$$S = E - M$$

$$1/72 = (-18) + 1/9$$

$$t^2 - t - 1 = 1/7.2$$

$$t^2 - t - 113.88 = 0$$

$$t = 1678 \sim 1/6$$

$$t = 678 \quad E = 147.4$$

$$M = \ln t = 6 = 403 = Re = t$$

$$7 \text{ Good Moves} = E = (1 - \ln t)^7$$

$$7^{1/7} = (1 - \ln t)$$

$$1.320 = 1 - \ln t$$

$$0.320 = -\ln t$$

$$\ln t = 0.320 = -137.7$$

$$t^2 - t - 1 = 0$$

$$E = -0.4795$$

$$t = 1/E = 1/0.48 = -1/2.08 \sim -1/2$$

$$3(-1/2) - 1 = -2 = L \text{ mind}$$

### The Mind

$$L = \ln t + c^3$$

$$= 4 + 27$$

$$= 31 = 12\text{th Prime Number}$$

$$\lim_{x \rightarrow \infty} 12 / \{31 / \ln 31\} = 1$$

$$1329 = 1$$

$$1/1329 = 752$$

$$1/s = 752 = \ln s$$

$$s = 118.6 = M_T$$

$$1/s = 0.8433$$

$$= \sin 57.49^\circ$$

$$\sim \sin 1$$

$$= \sin E = 1/s$$

$$s = \csc E = M$$

$$s = |E| |\sin \theta|$$

$$1/s = 1/\sin E = (1)(1)\sin \theta$$

$$1 = \sin^2 \theta$$

Euler's Identity:

$$\sin^2 \theta + \cos^2 \theta = 1$$

$$1 = \cos^2 \theta = 1$$

$$\cos\theta=1$$

$$\theta=0^\circ, 2\pi$$

$$1/\cos\theta=\sin \theta$$

$$1=\sin^2 \theta$$

$$\sin \theta=\pm 1$$

$$\sin \theta=1$$

$$\theta=\pi/2$$

$$\sin \theta=-1$$

$$\theta=3\pi/2$$

Energy:

$$1/\sin E=-1 \quad E=3\pi/2=33 \quad 33/11=3$$

$$1/\sin E=0 \quad E=0,\pi, 2\pi =22 \quad 22/11=2$$

$$1/\sin E=1 \quad E=\pi/2=11 \quad 11/11=1$$

$t=3;2;1 \Rightarrow$  Game of Life Physics

$$T+T+T+T+T+T+T=7$$

$$F+F+F+F+F+F+F=0$$

So the range of moves yields Energy from 0-7

$$E=(1-\text{Ln } t)^7$$

$t=1;2;3$  [Game of Life Physics]

$$E_1=1/1=(1-\text{Ln } t)^7$$

$$t=1$$

$$E_2=(1-\text{Ln } t)^7$$

$$1/2^{1/7}=(1-\text{Ln } t)$$

$$0.906-1=-\text{Ln } t$$

$$t=1.0998$$

$$E_3=(1-\text{Ln } t)^7$$

$$1/3^{1/7}=(1-\text{Ln } t)$$

$$t=11.56=1/\sin 60$$

$$E=(1-\text{Ln } t)^7$$

$$0.4935^{1/7}=(1-\text{Ln } t)$$

$$125.6=1-\text{Ln } t$$

$$t=1.2919$$

$$1.2919^2=1.2919-1=6.228=1/1605\sim 1/1602=1/\text{electrical charge}$$

$$=1/16=2^7/2^{11} \text{ (7 moves ahead out of the 11 dimension universe.)}$$

To program the computer, there must be an interaction between the pieces and board.

Take a piece= $+1$

Loose a piece= $-1$

Neither Take nor loose= $0$

=TNL

$$8 \text{ Pawn } 2 \times \pi/2 = \pi = 3.14 \times 8 = 251$$

$$2 \text{ Rook } 4 = 2\pi = 6.28 \times 2 = 125.6$$

$$2 \text{ Knight } 4 = 2\pi$$

$$2 \text{ Bishop } 4 = 2\pi$$

$$1 \text{ King } 8 = 4\pi = 1.256 \times 1$$

$$\underline{1 \text{ Queen } 8 = 4\pi = 125.6 \times 1}$$

$$\Sigma = 257.3$$

$$P \text{ Val. } \cdot \pi/2 = 404 = \text{Re}$$

$$\rho / (1 \text{ rad} \times \text{Re})$$

$$= 127.3 / 404 = 3.15 \sim \pi$$

$$\Pi = 2 \times 257.3 = 514.6$$

$$t^2 - t - 1 = 0.5146$$

$$t = 137.4; \quad 374 = 1/267 = 1 / \text{SF}$$

$$M = \text{Ln } t = 514 = 167 \Rightarrow \text{Cosmic Pyramid} \Rightarrow \text{SE} = \text{SE}'$$

The Universe has Entropy  $\Delta S = 0$

God and Man are opposite of Entropy always working against the universe.

$$dS/dt = 0 = \text{SE} = 2t - 1$$

$$\int dS/dt = S = \int (2t - 1)$$

$$= t^2 - t - 1$$

$$\Delta S = Q/T = Q/273.15 \text{K} = 0$$

$Q = 0$  Adiabatic Process.

$$2t - 1 = Q$$

$$t = 1/2$$

$$\Delta S = S_f - S_i = 0 = \Delta S = Q/T = 0/T = 0$$

$$0 = \Delta S / \Delta t = dS/dt = 2t - 1$$

Integrate:

$$S = t^2 - t - 1$$

$$Q/R = t^2 - t - 1$$

$$273.15 \text{ } Q/T = 273.15 \text{ } t^2 - 273.15t - 273.15$$

$$Q = 273t^2 - 273t - 273$$

$$Q = [1 + \sqrt{3}\sqrt{t^2 - t - 1}]$$

$$Q = t^2 - t - 1 - \sqrt{3}t^2 - \sqrt{3} - \sqrt{3}$$

$$Q/732 = 732t^2 - 732t - \sqrt{3}$$

$$0 = t^2 - t - 0.002366 - Q/273$$

Approximates to:

$$t^2 - t = 0$$

$$t(t - 1) = 0$$

$$t = 0; 1$$

$$t^2-t-1=0$$

$$0^2-0-1=-1$$

$$1^2-1-1=-1$$

Therefore  $E=-1$

$$E=(1-\text{Ln } t)^7$$

$$-1=(1-\text{Ln } t)$$

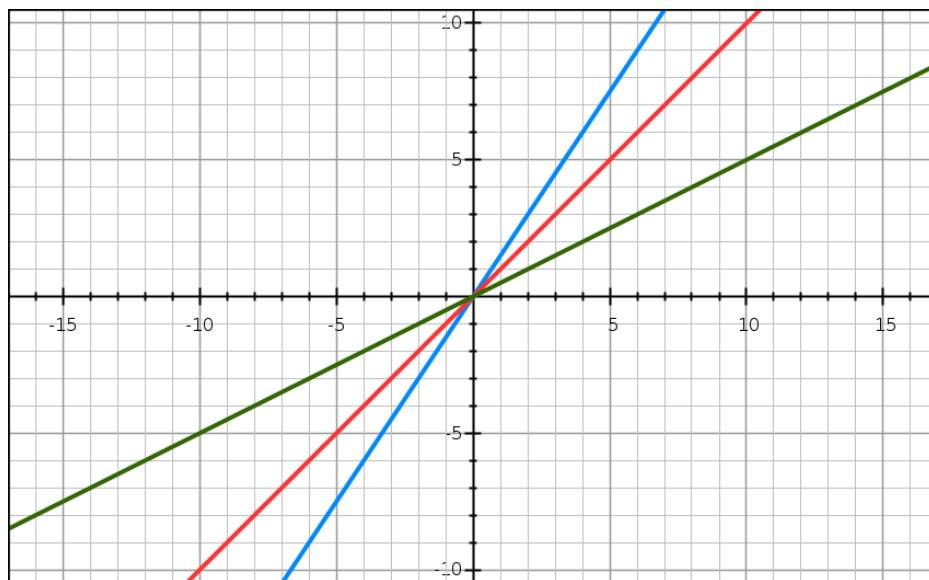
$$-1-1=-\text{Ln } t$$

$$2=\text{Ln } t$$

$$t=7389 \quad E=1353$$

So  $t=732$

$$732^2-732-\sqrt{3}=-1945=1/514 \quad t=514 \text{ (see above)}$$



**Figure1.** Plot of Value Functions: Green is bad; Blue is Good; Red is neutral

## 2. GAME OF LIFE PHYSICS

There is only one rule in the Game of Life Physics. It is:

*For each cell in the grid, count how many of its 8 neighbours are ON at the present instant. If the answer is exactly two, that cell stays in its present state (ON or OFF) in the next instant. If the answer is exactly three, the cell is ON in the next instant whatever its current state. Under all other conditions, the cell is OFF. [1]*

This translates into Chess. On =man on a cell; Off = no man on a cell.

$$(8 \text{ choose } 2)=28$$

$$(8 \text{ choose } 3)=56$$

$$56=28\chi$$

$$\chi=2 \Rightarrow y=2=L \Rightarrow y=y'$$

$$SE'=2t-1$$

$$=2(2)-1=3$$

$$t^2-t-1=3$$

$$t^2-t-4=0$$

$$t=256; 1.561$$

$$SE=SE'$$

$$t^2-t-1=2t-1$$

$$t=3 \quad E=5$$

$$E=(1-\ln t)^7$$

$$=(1-\ln 3)^7=0$$

$$SE'=2t-1$$

$$0=2t-1$$

$$t=1/2=t_{\min} \Rightarrow E_{\min}=-1.25$$

$$y=y'$$

$$t=3;2;1$$

$$SE=2t-1$$

$$SE_3=2(3)-1=5 \text{ Good Move}$$

$$SE_2=2(2)-1=3 \text{ Neutral Move}$$

$$SE_1=2(1)-1=1 \text{ Bad Move}$$

$$t=3 \quad E=5$$

$$t=2 \quad E=3$$

$$t=1 \quad E=1$$

Straight line  $y=mx+b$

$$E=m t+0$$

$$m_3=5/3=1.666=1/6$$

$$m_2=3/2=1.5$$

$$m_1=1/1=1$$

$$E=mt$$

$$E_1=t_1 \quad E=1 \quad t=1$$

$$E_2=1.5t \quad E=3 \quad t=1/3$$

$$E_3=(1/6)t \quad E=1/2 \quad t=2$$

**Chess invneted in India  
in 6th C BCE**

**8x8=64 squares**

**Ways to move:**

**Pawn 2**

**Rook 2**

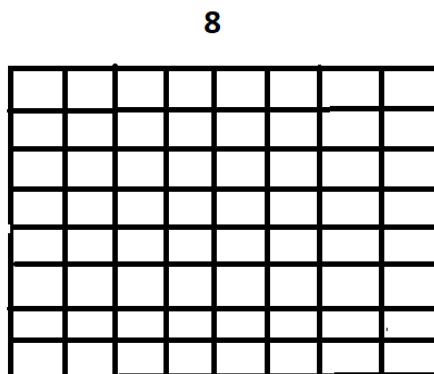
**Bishop 2**

**Kinght 4**

**King 1**

**Queen 8**

**19 x 2 (Black and White)  
=38**



$$\begin{aligned} (64 \text{ chose } 38) &= 64! / (38!)(28!) \\ &= 126.9 / (52.30)(403) \\ &= \text{Density} / 1 \text{ rad} \times \text{Re} = 6.02 \end{aligned}$$

**62/6.02=  
1.0666  
~105.7 mV  
of the  
human  
nervous  
system**

$$M = L_n \quad t = L_n \quad 1/2 = -0.693$$

$$PE = Mc^2 + MGh = 0.693[9 + 6.67] = 10.947$$

$$t = KE = 1/2 Mv^2 = 1/2(4)(1/\sqrt{2})^2 = 1$$

$$SE = SE' = 5$$

$$TE = 16.94 \sim 17$$

$$t = 1/17 = 590$$

$$t^2 - t - 1 = 1.055 \text{mV (Human Nervous System)}$$

$$4^{(n+1)} = 4^{(2669)} = 404 = Re$$

$$\rho / [e \times Re] = 127.3 / [1 \times 404] = \pi = t_{\max}$$

$$\{8 \text{ choose } 2\} = 28$$

$$TE = 28 = 6268 + (n+1) + SE$$

$$6241 = n$$

### PVal. & TLN

$$TE = PVal \times TLN$$

$$(8 \times 8) / 6.02 = 106.8 = PVal. \times TLN$$

$$M / (2\pi) = PVal \times TLN$$

$$TE = \Sigma M / (2\pi)$$

$$TE = 3/2\pi$$

$$TE = 2/2\pi$$

$$TE = 1/2\pi$$

$$\Sigma TE = [3/2\pi + 2/2\pi + 1/2\pi] [PVal. \times TLN]$$

$$= 3/\pi [PVal. \times TLN]$$

$$\text{Good Move} = 3/\pi (PVal \times 1) = 3PVal / \pi$$

$$\text{Neutral Move} = 3/\pi (PVal \times 0) = 0$$

$$\text{Bad Move} = 3/\pi (PVal \times (-1)) = -3PVal / \pi$$

$$-3PVal / \pi \leq 0 \leq 3PVal / \pi$$

### **Bad      Neutral      Good**

$$\Sigma E = 3 / \pi [PVal. \times TLN]$$

Good Move

$$2 = t(1.5 \times 1)$$

$$t = 4/3$$

$$E = 3/4 = 0.75$$

$$E = 0.75(1.5 \times 1)$$

$$= 1.125 = 1/888 = E$$

$$t = 0.888$$

$$t^2 - t - 1 = 1.098 \sim 11$$

$$E \geq 11$$

11 Dimension Universe

$$2^{11}/2^7 = 2^4 = 16 \sim 157 = \pi/2$$

~1601=Charge on an electron.

**Bad move**  $<1/2 <$  **Good move**

**Bad move**  $<1/2 \times 2\pi <$  **Good move**

Neutral Move

$$1/2=t(PVal. \times 0)$$

$$t=0$$

Bad Move

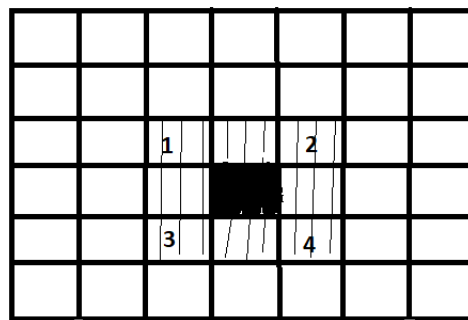
$$0=t(PVal \times TLN)$$

$$0=t(-1/2x -1)$$

$$0=2t$$

$$t=0$$

**Game of Life Physics**



$$2t-1=2(2)-1$$

$$=t=3 \ E=5$$

$$SE=SE'$$

$$t=3-2=1$$

$$t=KE=1/2Mv^2$$

$$1=1/2Mv^2$$

$$2=(4)v^2$$

$$v=1/\sqrt{2}$$

$$TE=PE+KE+SE$$

$$=36+1+5=42=2 \times 3 \times 7$$

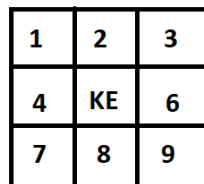
$$PE=Mc^2$$

$$=4(9)=36$$

Figure1.

$$1-4-16-256-1024$$

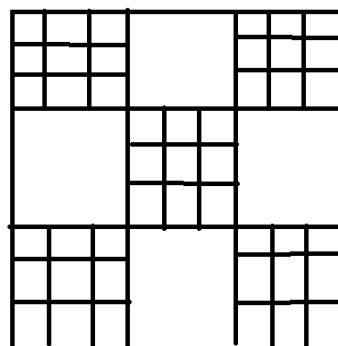
$$1024=2^{10}$$



$$PE=(9)(4^{(n+1)}) + GM$$

$$=4(c^2+G)$$

$$=6268$$



$$TE=PE+KE+SE = 42=6268+(n+1) + 5$$

$$n=2668 = SF$$

Figure2.

$$[38 \text{ choose } 7]=126.7 \times 10^{11}=\rho$$

$$\rho / [E \times Re]=126.7/(1 \times 404)=3.12 \times 10^9 \text{ billion possible moves.}$$

$$3.12/921600 \text{ Bd}=56.42 \text{ min per move } \sim 1 \text{ hour}$$



$$\{8 \text{ choose } 2\} = 28$$

$$\{t \text{ choose } d^2E/dt^2\}$$

$$\{t \text{ choose } G\} \text{ Clairnaut DE}$$

$$E = E' = E'' = G$$

$$\{t \text{ choose } E\}$$

$$(1/E)! / [E!(E-1/E)!]$$

$$1 = 28 = (E-1/E)$$

$$1/28 = (E-1/E)$$

$$1/28 = [E^2-1]/E$$

$$E^2-1 = E/28$$

$$28(E^2-E-1) = 0$$

$$E^2-E-1 = 0 \text{ Golden Mean Parabola}$$

Now,

$$\{8 \text{ choose } 3\} =$$

$$56$$

$$8! / [3!(8-3)!] = 56 \quad t = \sqrt{3} = \text{eigenvector}$$

$$t_1 / [t_2(t_2-t_1)] = 56$$

$$t_1 = 56t_2(t_2-t_1)$$

$$t_1 = 56t_2 - 56t_1$$

$$57t_1 = 56t_2^2$$

$$57/56t_1 = t_2^2 = (\sqrt{3})^2$$

$$t_1 = 3(56)/57 = 263 = 1/38 = 1/(2 \times 19)$$

$$t_1^2 \cdot 1/t_1 = \{64 \text{ choose } 38\}$$

$$t_1 = 64/38 = 263$$

$$E = (1 - \text{Ln } t)^7 = 379$$

$$1/E = t = 263 = t_1$$

$$t_1 \times t_1 / (1/t_1) = \{64 \text{ choose } 38\} = 56$$

$$\{64 \text{ choose } 38\} = R$$

$$E = (1 - \text{Ln } t)^7$$

$$1.001 = (1 - \text{Ln } t)$$

$$t = 1$$

$$\{8 \text{ choose } 2\} = E = t^2 - t - 1 = 28$$

$$\{8 \text{ choose } 3\} = t = 1/E$$

$$t = E^2 + E - 2$$

$$= 28^2 - 28 - 2$$

$$= 755$$

$$E = 1 - \text{Ln } 0.755^7$$

$$= (1 - 0.6626)^7$$

$$= (1-h)^7$$

=1.012~1

E=1/t

{64 choose 19}

=E=(1-Ln t)<sup>7</sup>

=(1-Ln 263)<sup>7</sup>

= 0.858

=R

### 3. CONCLUSION

AT Math and the Game of Life Physics rule with programmable Chess.

### REFERENCES

[1] Dennett, DC., Darwin's Dangerous Idea., Simon and Schuster USA 1995.

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