

# **Time in Heracletean Dynamics**

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Abstract: The consistency of time in Heracletean dynamics has been discussed.

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## **1. INTRODUCTION**

The subject of interest of this paper is to discuss the consistency of time of matter in Heracletean dynamics.

## **2. TIME**

In Heracletean dynamics fundamental time of matter is composed of particle time and wave time at ground circumstances as follows [1], [2]:

$$t_{matter} = t_{particle} + t_{wave} = \sqrt{\frac{h}{c^3}} + \frac{h}{m_{ground}c^2}.$$
 (1)

Where h = Planck constant, c = speed of light and  $m_{ground} = ground$  mass. Such time of matter is inconsistent since being dependent of the mass means that the whole mass of matter has a shorter time than its lighter parts. For instance, for the infinite ground mass and for its infinite lighter parts holds:

$$t_{matter}(m_{ground} = \infty) = \sqrt{\frac{h}{c^3}} < t_{matter}(m_{ground} = 0) = \infty.$$
<sup>(2)</sup>

We will try to offer a solution to the concerned problem.

## **3. THE ARITHMETIC TIME**

Previously mentioned inconsistency can be a consequence of the arithmetic sum of both times which follow one another. Here the time consistency of the whole matter can be achieved by means of a negative arithmetic time. Thus:

$$t_{matter} = t_{particle} + t_{wave} + t_{arithmetic}.$$
(3)

Where

 $t_{arithmetic} = -t_{wave}.$ (4)

If so, because of the arithmetic sequence of positive and negative wave time ( $t_{wave}$ , -  $t_{wave}$ ) one could detect a wave part of the event twice. First time, for instance, at the beginning of the wave time:

$$t_{matter} = t_{particle}.$$
(5)

And second time at the end of the wave time:

$$t_{matter} = t_{particle} + t_{wave} - t_{wave} = t_{particle}.$$

## 4. THE GEOMETRIC TIME

Previously mentioned inconsistency can be a consequence of the geometric sum of both times which run perpendicular to each other:

(6)

 $t_{matter}^2 = t_{particle}^2 + t_{wave}^2.$ <sup>(7)</sup>

Here the time consistency of the whole matter can be achieved by means of an imaginary geometric time. Thus:

$$t_{matter}^2 = t_{particle}^2 + t_{wave}^2 + t_{geometric}^2.$$
(8)

Where

$$t_{geometric}^2 = -t_{wave}^2. (9a)$$

Or

$$t_{geometric} = it_{wave}$$
.

(9b)

(10*b*)

If so, because of the geometric pair of real and imaginary wave time ( $t_{wave}$ ,  $it_{wave}$ ) one could not detect a wave part of the event since the geometric sum of wave time is always zero:

$$t_{matter}^2 = t_{particle}^2 + t_{wave}^2 - t_{wave}^2 = t_{particle}^2 + 0 = t_{particle}^2.$$
 (10a)  
Or

 $t_{matter} = t_{particle}$ .

#### 5. CONCLUSION

The arithmetic and the geometric time can solve the inconsistency of time in Heracletean dynamics ensuring that the same time belongs to matter independently of its ground mass.

#### **DEDICATION**

To happy jump into the New Year 2021



Figure1. Happy jump

## REFERENCES

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